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EXAMINER

TRUONG, THANHNGA B

ART UNIT	PAPER NUMBER
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2135

DATE MAILED: 04/29/2005

Please find below and/or attached an Office communication concerning this application or proceeding.

Office Action Summary

Application No.

09/933,720

Applicant(s)

LAMBERT ET AL.

Examiner

Thanhnga B. Truong

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-- The MAILING DATE of this communication appears on the cover sheet with the correspondence address --

Period for Reply

A SHORTENED STATUTORY PERIOD FOR REPLY IS SET TO EXPIRE 3 MONTH(S) FROM THE MAILING DATE OF THIS COMMUNICATION.

- Extensions of time may be available under the provisions of 37 CFR 1.136(a). In no event, however, may a reply be timely filed after SIX (6) MONTHS from the mailing date of this communication.
- If the period for reply specified above is less than thirty (30) days, a reply within the statutory minimum of thirty (30) days will be considered timely.
- If NO period for reply is specified above, the maximum statutory period will apply and will expire SIX (6) MONTHS from the mailing date of this communication.
- Failure to reply within the set or extended period for reply will, by statute, cause the application to become ABANDONED (35 U.S.C. § 133). Any reply received by the Office later than three months after the mailing date of this communication, even if timely filed, may reduce any earned patent term adjustment. See 37 CFR 1.704(b).

Status

- 1) ☒ Responsive to communication(s) filed on 22 November 2004.
- 2a) ☒ This action is **FINAL**. 2b) ☐ This action is non-final.
- 3) ☐ Since this application is in condition for allowance except for formal matters, prosecution as to the merits is closed in accordance with the practice under *Ex parte Quayle*, 1935 C.D. 11, 453 O.G. 213.

Disposition of Claims

- 4) ☒ Claim(s) 1-27 is/are pending in the application.
- 4a) Of the above claim(s) _____ is/are withdrawn from consideration.
- 5) ☐ Claim(s) _____ is/are allowed.
- 6) ☒ Claim(s) 1-27 is/are rejected.
- 7) ☐ Claim(s) _____ is/are objected to.
- 8) ☐ Claim(s) _____ are subject to restriction and/or election requirement.

Application Papers

- 9) ☐ The specification is objected to by the Examiner.
- 10) ☒ The drawing(s) filed on 22 August 2001 is/are: a) ☒ accepted or b) ☐ objected to by the Examiner.
Applicant may not request that any objection to the drawing(s) be held in abeyance. See 37 CFR 1.85(a).
Replacement drawing sheet(s) including the correction is required if the drawing(s) is objected to. See 37 CFR 1.121(d).
- 11) ☐ The oath or declaration is objected to by the Examiner. Note the attached Office Action or form PTO-152.

Priority under 35 U.S.C. § 119

- 12) ☒ Acknowledgment is made of a claim for foreign priority under 35 U.S.C. § 119(a)-(d) or (f).
- a) ☐ All b) ☐ Some * c) ☐ None of:
1. ☒ Certified copies of the priority documents have been received.
 2. ☐ Certified copies of the priority documents have been received in Application No. _____.
 3. ☐ Copies of the certified copies of the priority documents have been received in this National Stage application from the International Bureau (PCT Rule 17.2(a)).

* See the attached detailed Office action for a list of the certified copies not received.

Attachment(s)

- | | |
|---|---|
| 1) <input checked="" type="checkbox"/> Notice of References Cited (PTO-892) | 4) <input type="checkbox"/> Interview Summary (PTO-413) |
| 2) <input type="checkbox"/> Notice of Draftsperson's Patent Drawing Review (PTO-948) | Paper No(s)/Mail Date. _____ |
| 3) <input type="checkbox"/> Information Disclosure Statement(s) (PTO-1449 or PTO/SB/08) | 5) <input type="checkbox"/> Notice of Informal Patent Application (PTO-152) |
| Paper No(s)/Mail Date _____ | 6) <input type="checkbox"/> Other: _____ |

DETAILED ACTION

1. This Action is in reply to applicant's amendment filed November 22, 2004.
2. Claims 1-27 are pending. Claims 1 and 12 are amended.

Claim Rejections - 35 USC § 102

3. The following is a quotation of the appropriate paragraphs of 35 U.S.C. 102 that form the basis for the rejections under this section made in this Office action:

A person shall be entitled to a patent unless –

(e) the invention was described in (1) an application for patent, published under section 122(b), by another filed in the United States before the invention by the applicant for patent or (2) a patent granted on an application for patent by another filed in the United States before the invention by the applicant for patent, except that an international application filed under the treaty defined in section 351(a) shall have the effects for purposes of this subsection of an application filed in the United States only if the international application designated the United States and was published under Article 21(2) of such treaty in the English language.

4. Claims 12-18 are rejected under 35 U.S.C. 102(e) as being anticipated by Kaliski, Jr. et al (US 5,854, 759).

a. Referring to claim 12:

i. Kaliski teaches:

(1) A method for information exchange between a pair of correspondent exchanging cryptographic data and operating in different basis, the method comprising the steps of: transmitting an element represented in a first basis from a first correspondent to an intermediate processor [i.e., referring to Figure 1, the basis converter 12 is configured to support an export operation, that is, the conversion of an internal basis representation A to an external basis representation B. The externally shifted sequence generator 14 receives an internal basis representation A via input 18 (column 10, lines 27-32). The processor 22 may be a microprocessor, central processing unit (CPU), application-specific integrated circuit (ASIC) or any other suitable digital data processor. The basis converter 12 and the elements thereof may be configured as software modules executed by the processor 22, as separate dedicated

hardware modules, or as various combinations of software and hardware. For example, both the externally shifted sequence generator 14 and extractor 16 may be embodied partially or completely in software executed by the processor 22 (column 10, lines 51-60)];

(2) transmitting of a second element represented in a second basis from a second correspondent to said intermediate processor [i.e., referring to Figure 13, the enhanced arithmetic unit 160 supports finite field arithmetic operations in an internal basis as well as an additional basis, and may include more than the one set of basis converters shown, whereby “transmitting of a second element represented in a second basis from a second correspondent to said intermediate processor” is considered to include in these arithmetic operations (column 16, lines 56-66)];

(3) converting the transmitted first element into said second basis representation by said intermediate processor to produce a first converted element; forwarding said first converted element to said second correspondent [i.e., Figure 12 shows a basis converter 150 which includes an import basis converter 152 and a rotate/extract basis converter 154. The import basis converter receives a first basis representation as an input, and converts the first basis representation to an internal basis representation using operations in the internal basis. The rotate/extract basis converter 154 converts the internal basis representation to a second basis representation (column 16, lines 46-53)];

(4) converting the transmitted second element into a first basis representation by said intermediate processor to produce a second converted element; forwarding said second converted element to said first correspondent [i.e., Figure 13 shows an enhanced finite field arithmetic unit 160 which includes basis conversion capabilities. The enhanced arithmetic unit 160 includes the import basis converter 152 and is rotate/extract basis converter 154 described in conjunction with Figure 12, as well as a finite field arithmetic unit 162 such as the arithmetic unit 50 of Figure 4. The enhanced arithmetic unit 160 supports finite field arithmetic operations in an internal basis as well as an additional basis, and

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may include more than the one set of basis converters shown (column 16, lines 56-66). Furthermore, Figure 14 illustrates that the enhanced arithmetic unit 160 may be coupled to a cryptographic processor 170 in order to support cryptographic operations in multiple bases. Numerous other applications of the rotate/extract basis converter of Kaliski are also possible (column 17, lines 1-5). Thus, it is well-known in the art that these cryptographic operations are applicable to cryptographic and/or Diffie-Hellman key exchange].

b. Referring to claims 13-14:

i. Kaliski further teaches:

(1) operating on said second converted element by said first correspondent in a cryptographic operation to produce a result and a second result [i.e., referring to Figure 14, a cryptographic processor 170, that is for “operating on said second converted element by said first correspondent in a cryptographic operation to produce a result and a second result”].

c. Referring to claims 15-17:

i. These claims have limitations that is similar to those of claims 6 and 7, thus they are rejected with the same rationale applied against claims 6 and 7 above.

d. Referring to claim 18:

i. This claim has limitations that is similar to those of claim 10, thus it is rejected with the same rationale applied against claim 10 above.

5. Claims 19-24 are rejected under 35 U.S.C. 102(e) as being anticipated by Lenstra (US 6,446, 205).

a. Referring to claim 19:

i. Lenstra teaches:

(1) representing a first field element in terms of a first basis; computing a first function of a first sequence of traces of said first field element; and using said first sequence of traces as said bit string [i.e., referring to Figure 5, at step 505, the value for security parameter B and mapping functions R1, R2, R3 are obtained. At step 510, the participant's cryptosystem selects vaules for

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security parameters B_s and B_b . At step 515, the participant's cryptosystem randomly selects a bitstring s having B_s bits, that is for "computing a first function of a first sequence of traces of said first field element; and using said first sequence of traces as said bit string". At step 520, the participant's cryptosystem applies the mapping functions R_1 and R_2 to the concatenation of its identify ID and the bitstring s to obtain two positive B -bit integers $a=R_1(ID||s)$ and $b_0=R_2(ID||s)$, that is for "first field element and second field element", and also initializes an integer b_1 , $b_1=0$ (column 6, lines 62-67 through column 7, lines 1-3)].

b. Referring to claims 20-22:

i. These claims have limitations that is similar to those of claim 19, thus they are rejected with the same rationale applied against claim 19 above.

c. Referring to claim 23:

i. Lenstra teaches:

(1) using said bit string as a shared secret in a cryptographic scheme between a first correspondent and a second correspondent [i.e., as shown in Figure 4, parties wishing to communicate exchange cryptographic data, reconstruct each other's public key data, and then use the reconstructed keys in cryptographic protocols, such as a signature scheme or data encryption/decryption scheme (column 3, lines 57-61)].

d. Referring to claim 24:

i. Lenstra teaches:

(1) wherein said cryptographic scheme is an elliptic curved scheme [i.e., Lenstra's invention relates to elliptic curve cryptosystems in which each participant chooses its own elliptic curve, from a predetermined set of elliptic curve equations, and also chooses its own finite field (column 3, lines 14-17)].

Claim Rejections - 35 USC § 103

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6. The following is a quotation of 35 U.S.C. 103(a) which forms the basis for all obviousness rejections set forth in this Office action:

(a) A patent may not be obtained though the invention is not identically disclosed or described as set forth in section 102 of this title, if the differences between the subject matter sought to be patented and the prior art are such that the subject matter as a whole would have been obvious at the time the invention was made to a person having ordinary skill in the art to which said subject matter pertains. Patentability shall not be negated by the manner in which the invention was made.

7. Claims 25-27 are rejected under 35 U.S.C. 103(a) as being unpatentable over Lenstra, and further in view of Kaliski, Jr. et al.

a. Referring to claims 25-27:

i. Lenstra teaches the claimed subject matter except for:

(1) wherein said first function is an irreducible polynomial of degree N ; wherein said second function is an irreducible polynomial of degree N ; and wherein said first field element is converted in terms of said second basis by finding a root for said polynomial for said first basis in a representation generated by said second basis; and evaluating said polynomial representing said first field element in said first basis at said root.

ii. However, Kaliski teaches:

(1) two common types of basis are polynomial basis and normal basis. In a polynomial basis, the basis elements are successive powers of an element γ , call the generator: $\omega_i = \gamma^i$. The element γ must satisfy certain properties, namely that the powers $\gamma^0, \dots, \gamma^{m-1}$ are linearly independent. A polynomial f of degree m , called the minimal polynomial of γ , relates the successive powers, so that $\gamma^m = f_{m-1} \gamma^{m-1} + f_{m-2} \gamma^{m-2} + \dots + f_1 \gamma + f_0$. Such a polynomial f must be irreducible over the ground field $GF(q)$ (column 2, lines 17-32). Furthermore, The algorithms may be used to convert from a polynomial basis to a normal basis, from a normal basis to a polynomial basis, from a polynomial basis with one generator to a polynomial with another generator, or from a normal basis with one

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generator to a normal basis with another generator, to give a few examples (column 6, lines 1-5).

iii. It would have been obvious to a person having ordinary skill in the art at the time the invention was made to:

(1) include the polynomial basis representation as in Lenstra's cryptosystem since it is a common choice of basis for representing elements of the finite field (**column 1, lines 22-23 of Kaliski**).

iv. The ordinary skilled person would have been motivated to:

(1) include the polynomial basis representation as in Lenstra's cryptosystem for a variety of reasons, including cost, performance, and compatibility with other applications, implementations of $GF(2^m)$ arithmetic vary in their choice of basis (**column 1, lines 25-28 of Kaliski**).

8. Claims 1-11 are rejected under 35 U.S.C. 103(a) as being unpatentable over Kaliski, Jr. et al (US 5,854, 759), and further in view of Clapp (US 5,987,131) and Lenstra.

a. Referring to claim 1:

i. Kaliski teaches:

(1) transmitting an element represented in a first basis from a first correspondent to an intermediate processor; converting the transmitted element into a second basis representation by said intermediate processor to produce a converted element [i.e., referring to Figure 1, the basis converter 12 is configured to support an export operation, that is, the conversion of an internal basis representation A to an external basis representation B. The externally shifted sequence generator 14 receives an internal basis representation A via input 18 (column 10, lines 27-32). The processor 22 may be a microprocessor, central processing unit (CPU), application-specific integrated circuit (ASIC) or any other suitable digital data processor. The basis converter 12 and the elements thereof may be configured as software modules executed by the processor 22, as separate dedicated hardware modules, or as various combinations of software and hardware. For example, both the externally shifted sequence generator 14

and extractor 16 may be embodied partially or completely in software executed by the processor 22 (column 10, lines 51-60)];

(3) forwarding said converted element to the first correspondent [i.e., **Figure 13 shows an enhanced finite field arithmetic unit 160 which includes basis conversion capabilities. The enhanced arithmetic unit 160 includes the import basis converter 152 and is rotate/extract basis converter 154 described in conjunction with Figure 12, as well as a finite field arithmetic unit 162 such as the arithmetic unit 50 of Figure 4. The enhanced arithmetic unit 160 supports finite field arithmetic operations in an internal basis as well as an additional basis, and may include more than the one set of basis converters shown, whereby “forwarding said converted element to the first correspondent” is considered to include in this arithmetic operations (column 16, lines 56-66)];** and

(4) operating on said converted element by said first correspondent in a cryptographic operation to obtain a result of said cryptographic operation for use in exchanging cryptographic data with said second correspondent [i.e., **Figure 14 illustrates that the enhanced arithmetic unit 160 may be coupled to a cryptographic processor 170 in order to support cryptographic operations in multiple bases. Numerous other applications of the rotate/extract basis converter of Kaliski are also possible (column 17, lines 1-5). However, Kaliski does not disclose the process of the cryptographic operations which includes in the cryptographic processor 170].**

ii. As mentioned above, Kaliski discloses the cryptographic operation as shown in Figure 14, element 170, however, Kaliski does not explicitly explain in great detail of how Kaliski's cryptographic processor supports the cryptographic operations in multiple bases. Both Clapp's and Lenstra's invention, on the other hand, teach:

(1) The invention relates generally to cryptography and more specifically to exchanging cryptographic keys between two cryptographic units, and to a method for fast exponentiation utilized in cryptographic schemes when the

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base is fixed or known in advance and the exponent may be freely chosen for computational convenience (**column 2, lines 52-58 of Clapp**). Figure 2 shows a system for generating a shared secret key between device A and device B (**column 5, lines 5-12 of Clapp**).

(2) In operation, an elliptic curve cryptosystem according to Lenstra's invention functions as shown in Figure 4. Parties wishing to communicate exchange cryptographic data, reconstruct each other's public key data, and then use the reconstructed keys in cryptographic protocols, such as a signature scheme or data encryption/decryption scheme (**column 3, lines 56-61 of Lenstra**).

iii. It would have been obvious to a person having ordinary skill in the art at the time the invention was made to:

(1) have applied the teaching of Clapp and Lenstra into Kaliski's system since it is well-known to those practiced in the art that these techniques are applicable to Diffie-Hellman key exchange using other finite groups, in particular the multiplicative group of finite fields of characteristic 2, and elliptic curve groups over finite fields (**column 1, lines 53-57 of Clapp**).

iv. The ordinary skilled person would have been motivated to:

(1) have applied the teaching of Clapp and Lenstra into Kaliski's system since one advantage of Clapp's invention is that it provides a public-key method of cryptographic key exchange using modular exponentiation in which memory, for storing pre-computed results, can be flexibly traded off against the computational complexity of the key exchange. Specifically, the invention provides for efficient and secure key exchange between two parties, both of whom have limited memory and computational resources, such as between two devices each of which is equipped with little more than a single-chip microcontroller. An example of the tradeoff provided by the invention is that mutual key-agreement where users' private keys can take any one of more than 2^{160} possible values can be achieved according to the invention by using just 40 modular multiplications and a table of 40 entries. Other examples, for this same size key, include using 30 modular multiplications and a table of 120 entries, 50 modular multiplications and a table of 20 entries, 60 modular multiplications and a table

of 12 entries, or 80 modular multiplications and a table of 6 entries. **(column 3, lines 3-21 of Clapp).**

b. Referring to claim 2:

i. This claim has limitations that is similar to those of claim 1 (4), thus it is rejected with the same rationale applied against claim 1 (4) above.

c. Referring to claim 3:

i. Kaliski further teaches:

(1) wherein said result is a signature **[i.e., referring to Figure 14, "signature" is considered to include in cryptographic processor 170].**

d. Referring to claim 4:

i. Kaliski further teaches:

(1) transmitting said converted element by said intermediate processor to said second correspondent **[i.e., Figure 12 shows a basis converter 150 which includes an import basis converter 152 and a rotate/extract basis converter 154. The import basis converter receives a first basis representation as an input, and converts the first basis representation to an internal basis representation using operations in the internal basis. The rotate/extract basis converter 154 converts the internal basis representation to a second basis representation (column 16, lines 46-53)].**

e. Referring to claim 5:

i. This claim has limitations that is similar to those of claims 1 (4) and 4, thus it is rejected with the same rationale applied against claims 1 (4) and 4 above.

f. Referring to claims 6-9:

i. Kaliski further teaches:

(1) wherein said converted element is a short term public key and long term public key; wherein one of said correspondents is a low power computing device, a smartcard **[i.e., many public-key cryptosystems are based on operations in large finite mathematical groups, and the security of these cryptosystems relies on the computational intractability of computing discrete**

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logarithms in the underlying groups, “a short term public key and long term public key, and smartcard” are considered to produce via these cryptosystems (column 35, lines 29-32)].

g. Referring to claim 10:

i. Kaliski further teaches:

(1) wherein said cryptographic operation employs an elliptic curved scheme [i.e., many public-key cryptosystems are based on operations in large finite mathematical groups, and the security of these cryptosystems relies on the computational intractability of computing discrete logarithms in the underlying groups. Two major classes of such cryptosystems are conventional discrete logarithm cryptosystems and elliptic curve cryptosystems (column 35, lines 29-35)].

h. Referring to claim 11:

i. Kaliski further teaches:

(1) wherein said intermediate processor is a Certifying Authority [i.e., referring to Figure 1, the processor 22, that is “a Certifying Authority”].

Response to Arguments

9. Applicant's arguments with respect to claims 1-11 have been considered but are moot in view of the new ground(s) of rejection. Other arguments with respect to claims 12-27, filed July 14, 2004 have been fully considered but they are not persuasive.

Applicant argues that:

“There is no teaching in Kaliski that converted result is forwarded back to the first correspondent for use in exchanging cryptographic data with a second correspondent at all; and that Kaliski does not disclose at all that the other basis converter performs a cryptographic operation on the converted element and uses the result for exchanging cryptographic data with another correspondent.”

Examiner does not agree with applicant at all and maintains that:

Kaliski does teach the claimed subject matter. In fact, Figure 13 shows an enhanced finite field arithmetic unit 160 which includes basis conversion capabilities. The enhanced arithmetic unit 160 includes the import basis converter 152 and is rotate/extract basis converter 154 described in conjunction with Figure 12, as well as a finite field arithmetic unit 162 such as the arithmetic unit 50 of Figure 4. The enhanced arithmetic unit 160 supports finite field arithmetic operations in an internal basis as well as an additional basis, and may include more than the one set of basis converters shown (column 16, lines 56-66). Furthermore, Figure 14 illustrates that the enhanced arithmetic unit 160 may be coupled to a cryptographic processor 170 in order to support cryptographic operations in multiple bases. Numerous other applications of the rotate/extract basis converter of Kaliski are also possible (column 17, lines 1-5). Thus, it is well-known in the art that these cryptographic operations are applicable to cryptographic and/or Diffie-Hellman key exchange. Therefore, claims 12-18 are still rejected as in previous action and repeated herein. Examiner acknowledges that applicant has amended the preamble of independent claim 12 to overcome the prior art, however, this amended in preamble are not read into the body of the claims. Although the claims are interpreted in light of the specification, limitations from the specification are not read into the claims. See *In re Van Geuns*, 988 F.2d 1181, 26 USPQ2d 1057 (Fed. Cir. 1993).

Applicant further argues that:

"Trace" is a well-defined concept. See, for example, paragraph 20 of the specification. A "randomly" selected bitstring having a fixed number of bits is not a trace function of a field element. Therefore, Lenstra does not disclose "computing a first function of a first sequence of traces of said first field element."

Examiner totally disagrees with applicant and maintains that:

Lenstra does teach the claimed subject matter. In fact, at step 505, the value for security parameter B and mapping functions R1, R2, R3 are obtained. At step 510, the participant's cryptosystem selects values for security parameters Bs and Bb. At step 515, the participant's cryptosystem randomly selects a bitstring s having Bs bits. At step 520, the participant's cryptosystem applies the mapping functions R1 and R2 to

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the concatenation of its identity ID and the bitstring s to obtain two positive B-bit integers $a=R1(ID.\text{vertline}..\text{vertline}.s)$ and $b0=R2(ID.\text{vertline}..\text{vertline}.s)$, and also initializes an integer b1, $b1=0$. Let $b=b0+b1$. At step 525, the participant's cryptosystem checks if conditions on a and b are satisfied, as set forth in FIG. 6. At step 530, the participant's cryptosystem determines whether the result of the check is that conditions are satisfied. If so, at step 535, the cryptosystem outputs the values s, b1, p, E, q and Q and terminates. If not, at step 545, the participant's cryptosystem increments b1, and, at step 550, checks whether the incremented b1 is too big, that is, $b1 \geq 2^{sup.Bb}$. If the incremented b1 is appropriately small, then the participant's cryptosystem returns to step 525 to recompute b as $b0+b1$ and to check conditions on a and b. If the incremented b1 is too big, then the participant's cryptosystem returns to step 515 to select a new bitstring s (**column 6, lines 62-67 through column 7, lines 1-16**).

In response to applicant's argument that there is no suggestion to combine the references, the examiner recognizes that obviousness can only be established by combining or modifying the teachings of the prior art to produce the claimed invention where there is some teaching, suggestion, or motivation to do so found either in the references themselves or in the knowledge generally available to one of ordinary skill in the art. See *In re Fine*, 837 F.2d 1071, 5 USPQ2d 1596 (Fed. Cir. 1988) and *In re Jones*, 958 F.2d 347, 21 USPQ2d 1941 (Fed. Cir. 1992). In this case, the teaching of Lenstra alone and in combination with Kaliski provide sufficient information and the rejection for claims 19-27 is proper.

Conclusion

10. Applicant's amendment necessitated the new ground(s) of rejection presented in this Office action. Accordingly, **THIS ACTION IS MADE FINAL**. See MPEP § 706.07(a). Applicant is reminded of the extension of time policy as set forth in 37 CFR 1.136(a).

A shortened statutory period for reply to this final action is set to expire THREE MONTHS from the mailing date of this action. In the event a first reply is filed within TWO MONTHS of the mailing date of this final action and the advisory action is not mailed until after the end of the THREE-MONTH shortened statutory period, then

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the shortened statutory period will expire on the date the advisory action is mailed, and any extension fee pursuant to 37 CFR 1.136(a) will be calculated from the mailing date of the advisory action. In no event, however, will the statutory period for reply expire later than SIX MONTHS from the date of this final action.

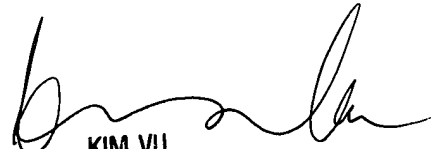
Any inquiry concerning this communication or earlier communications from the examiner should be directed to Thanhnga (Tanya) Truong whose telephone number is 571-272-3858.

If attempts to reach the examiner by telephone are unsuccessful, the examiner's supervisor, Kim Vu can be reached on 571-272-3859. The fax and phone numbers for the organization where this application or proceeding is assigned is 703-872-9306.

Any inquiry of a general nature or relating to the status of this application or proceeding should be directed to the receptionist whose telephone number is 571-272-2100.

TBT

April 19, 2005


KIM VU
SUPERVISORY PATENT EXAMINER
TECHNOLOGY CENTER 2100